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Inclusive transformation consistency control algorithm in distributed system

Santosh Kumawat^{1*} and Ajay Khunteta²

*Correspondence:
santoshkumawat82@gmail.com

¹ School of Engineering
and Technology, Poornima
University, IS-2027 To 2031
Ramchandrapura P.O. Vidhani
Vatika Sitapura Extension,
Jaipur, Rajasthan 303905,
India

Full list of author information
is available at the end of the
article

Abstract

Operational transformation (OT) is the most effective method for consistency and concurrency control in multi-user groupware applications. This study proposes a new string-based OT algorithm to address the challenge of swapping and transposing two deletions. It has removed the faults of previous existing algorithm swapDD (ABTS: a transformation-based consistency control algorithm for wide-area collaborative applications, collaborative computing: networking, applications and worksharing 1–10, 2009). Existing algorithm swapDD fails totally in transposing two deletions if the first operation region is included in the second operation region or the second operation string is covered by the first operation string. In addition, swapDD has not considered partial overlapping between two deletions in swapping and fails at boundary conditions. New proposed algorithm works well in all possible cases of transposing two deletions. It handles overlapping and splitting of operations.

Keywords: Inclusive transformation algorithm, Distributed systems, Concurrency control, Consistency control, Groupware system

Background

Real-time groupware systems, such as multi-player game, and real-time computer conferencing in the area of computer-supported cooperative work have multiple users where the actions of all users must be propagated to all other users.

Groupware systems are multi-user systems that provide an interface to a multi-user shared environment, which require sharing of data, fine-granularity, concurrency control, and fast response times. Concurrency control protocols are needed to repair inconsistencies in the multi-user transactions and areas of computing systems, such as database systems, distributed systems, and groupware systems. Therefore, there are specific requirements (Sun et al. 1998): high local responsiveness, unconstrained interaction, real-time communication, and consistency.

Theorem 1 *In a consistent shared environment which has replicated data after execution of all operations, all have the same data.*

Traditional concurrency control methods, such as locking, transactions, single active participant, dependency detection, and reversible execution, may cause the loss of interaction

results and were not suitable for distributed interactive applications that demand fast local response satisfying user intentions, intention consistency, and convergence.

Over the past decade, operational transformation (OT) has become an established acceptable method for consistency maintenance in group editors. Compared with alternative concurrency control methods, OT has been found uniquely promising in better way achieving convergence, causality, and intention preservation without killing responsiveness and concurrent work (Shao et al. 2009). OT allows users to edit any part of the shared data at any time. Local operations are always executed as soon as they are generated by the user. Remote operations are transformed before execution to repair inconsistencies. Most of the existing OT algorithms only support primitive character operations like insert and delete. Only a few OT algorithms support string primitive operations like insert and delete.

Review of OT algorithms

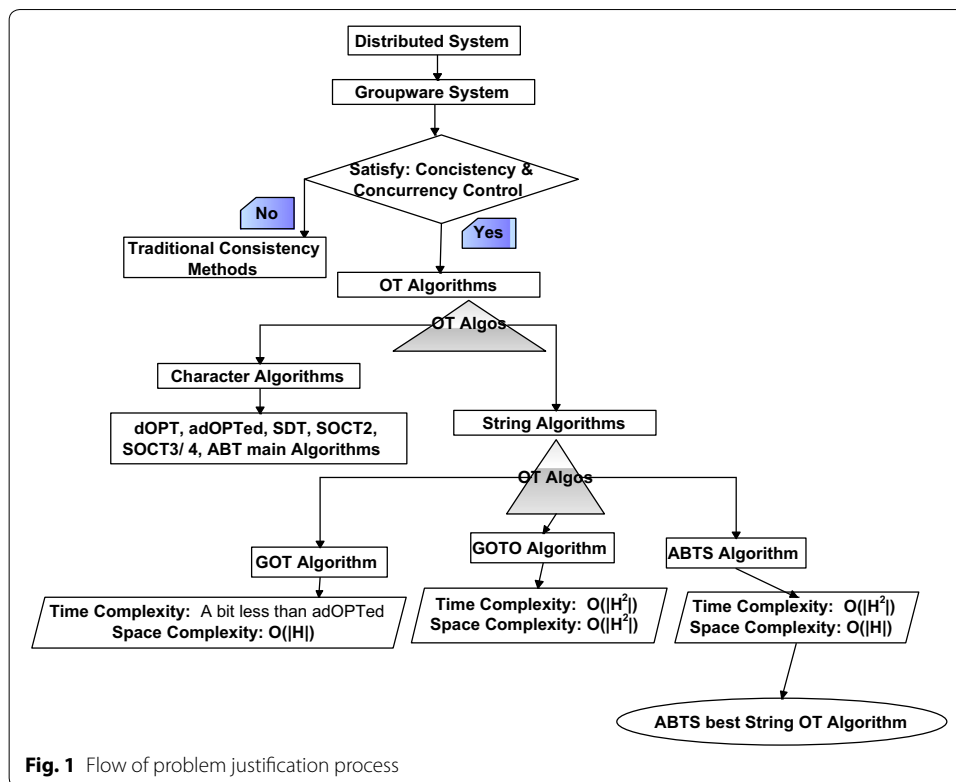
Operational transformation algorithms have been studied over the past 25 years. OT algorithms correctness cannot be formally proved due to informal condition called “intention preservation.” OT algorithms only consider two primitive character-based operations like insert and delete.

We have reviewed a number of major OT algorithms for consistency maintenance in real-time group editors, including the distributed operation transformation (dOPT) algorithm (Ellis and Gibbs 1989), the generic operational transformation (GOT) algorithm (Sun and 1998), GOT optimized (GOTO) algorithm (Sun et al. 1998), state difference transformation (SDT) algorithm (Li and Li 2006), SCOT2 (Suleiman et al. 1998), SCOT 3/4 algorithm (Vidot et al. 2000), adopted (adOPTed) algorithm (Ressel et al. 1996), admissibility-based transformation (ABT) algorithm (Li and Li 2010), ABT-undo (ABTU) algorithm (Shao et al. 2010), admissibility-based sequence transformation (ABST) (Sun and 1998), and admissibility-based transformation with strings (ABTS) algorithm (Shao et al. 2009).

On categorizing all existing OT algorithms on the basis of major existing algorithms, such as dOPT, adOPT, GOT, GOTO, SDT, SOCT2, SOCT3/4, ABT (Li and Li 2007), and then further classified on the basis of area of operation, such as undo, char, string, web, graph and so on, we get that only three algorithms support string handling—GOT, GOTO and ABTS. We conclude that ABTS supports for string handling and is better than GOT and GOTO, because it has less time complexity and space complexity. In addition, ABTS is based on ABT framework, which can be formally proved. We conclude that ABTS is the best string-based OT algorithm as has less time and space complexity than GOT and GOTO (see Fig. 1). This study is focused on string-based OT algorithm based on ABT framework and removed the faults of ABTS algorithm.

System model and notations

In a multi-user system on starting of session, the shared data are replicated at all sharing sites. In OT, local operations are executed immediately without delay, and local operations are propagated to remote sites in the background, so local operations execution do not suffer. The shared data are like a linear string ‘s’ of atomic characters and positions ‘p’ in the string that starts from zero and consider two only primitive string operations, called,



insert(p, s) and delete(p, s). Here, insert(p, s) insert 's' at location 'p' in given string definition. In addition, delete(p, s) delete 's' at location 'p' in given string definition. The operations o_1 and o_2 are contextually serialized, denoted by $o_1 \rightarrow o_2$, if o_2 's position is defined in the resulting state of applying o_1 (but no other operation). The standard notations are summarized in Table 1, where a few standard notations are taken from (Shao et al. 2009).

Definition 1 o_1 and o_2 are contextually equivalent $o_1 || o_2$, $o_1 U o_2$ and if input is o_1 and output then output should be $o_2 \rightarrow o_1'$.

Definition 2 If we have $\text{exec}(o_i)$, then all $\text{exec}(o_{i-1})$ must be completed then only o_i satisfy causality.

Definition 3 If $o_1 U o_2$, then $IT(o_1, o_2)$ satisfy admissibility. It does not have inconsistent order at shared environment.

Algorithms

The basic swap functions for swapping two primitive operations insert and delete exist in (Shao et al. 2009). Given two operations o_1 and o_2 , where $o_1 \rightarrow o_2$, function $\text{swap}(o_1, o_2)$ transposes them into o_1' and o_2' , such that $o_2' \rightarrow o_1'$. Depending on their types, insert (I) and delete (D), we call different swapping functions. The basic swap function for swapping primitive operations two deletions is swapDD (Shao et al. 2009). Here, swapDD and MGswapDD take two string operations o_1 and o_2 as parameters. Here,

Table 1 Standard notations

Notations	Description
$o.id$	Id of site that generate operation o
$o.type$	Type of operation o , i.e., either insert or delete
$o.pos$	Position of operation o
$o.str$	String insert/delete by o
$o1 \rightarrow o2$	$o1$ occurs before $o2$
$o1 o2$	$o1$ and $o2$ are concurrent
$o1 U o2$	$o1$ and $o2$ are contextually equivalent
$o1 \rightarrow o2$	$o1$ and $o2$ are contextually serialized
$[o1, o2]$	An ordered list of two operations $o1$ and $o2$
$\langle o1, o2 \rangle$	Two operations in sequence
$ L $	Number of objects in list L
$L1.L2$	Concatenation of two lists $L1$ and $L2$
$s[i:len]$	Substring of string s start from position i of length len
sq	A sequence is a special list in which all elements are operations that are contextually serialized
$sq = \langle o1, o2, \dots, on \rangle$	$sq = \langle o1, o2, \dots, on \rangle$, where $o1 -> o2 -> \dots -> on$
$\langle \rangle$	An empty sequence
$L = [a, b, c]$, it has $L = [a] \cdot [b, c] = [a, b] \cdot c$	A sequence is a special list in which all elements are operations that are contextually serialized
$ sq = n$	The number of elements in sequence $sq = n$
$sq = \langle o1 \rangle \cdot \langle o2, \dots, on \rangle$	All elements of sequence are contextually serialized
$R1 = [o1.start, o1.end]$	Operation region of operation $o1$ s $R1$ which start from $o1.start$ & end at $o1.end$
$o.Substring(i, len)$	Substring of o start from i of length len
$o.Substring(i)$	Substring of o start from i position in o

$o1.type = o2.type = \text{delete}$. Before swapping, we have $o1 \rightarrow o2$ and after swapping, we get $o1'$ and $o2'$, so that we can have $o2' \rightarrow o1'$.

Algorithm swapDD

Algorithm swapDD ($o1, o2$) transposes two deletions $o1$ and $o2$. There are three cases considered by (Shao et al. 2009). First, if $o2.pos \geq o1.pos$, it means that $o2$ is to delete a substring on the right side of the substring $o1.str$ deleted by $o1$. Hence, if we execute $o2$ before $o1$ instead, then $o2.pos$ should consider $o1.str$, because it has not been deleted yet. Therefore, $o2$ position shifted right by length of $o1.str$.

Second, if $o2.pos + |o2.str| \leq o1.pos$, it means that $o2.str$ is completely on the left side of $o1.pos$. Hence, if $o2$ get executed before $o1$ instead, $o1.pos$ should be shifted to the left, because $o2.str$ has already been deleted.

Third, as in lines 6–12, $o1.str$ is completely covered by $o2.str$. Then, if $o2$ get executed before $o1$ instead, $o2.str$ is divided into three parts, among which the middle overlapping part is to be deleted by $o1$. The remaining left and right parts, as divided by position $o1.pos$, are deleted by two suboperations $o2L$ and $o2R$, respectively. At last, finally, $o1.pos$ should be set to $o2.pos$ due to the deletion of $o2L.str$.

Algorithm swapDD (o_1, o_2): (o_2', o_1')

1. $o_1' \leftarrow o_1; o_2' \leftarrow o_2;$
2. if $o_2.pos \geq o_1.pos$ then

```

3.  $o_2'.pos \leftarrow o_2.pos + |o_1.str|$ 
4. else if  $o_2.pos + |o_2.str| \leq o_1.pos$  then
5.  $o_1'.pos \leftarrow o_1'.pos - |o_2.str|$ 
6. else
7.  $o_{2L} \leftarrow o_{2R} \leftarrow o_2$ 
8.  $o_{2L}.str \leftarrow o_2.str[0: o_1.pos - o_2.pos]$ 
9.  $o_{2R}.pos \leftarrow o_1.pos + |o_1.str|$ 
10.  $o_{2R}.str \leftarrow o_2.str[o_1.pos - o_2.pos:]$ 
11.  $o_2'.sol \leftarrow [o_{2L}, o_{2R}]$ 
12.  $o_1'.pos \leftarrow o_2.pos$ 
13. endif
14. return( $o_2', o_1'$ )

```

Failure of algorithm swapDD

Algorithm swapDD fails in most of cases in swapping two deletions. Failure of algorithm swapDD in various conditions is highlighted in the following cases:

Case 1: *If $o_2.pos \geq o_1.pos$* In this case, swapDD fails at boundary condition means that if $o_2.pos = o_1.pos$, it fails totally (lines 2–3 of algorithm swapDD).

Case 2: *If there exist partial overlapping between deletion operations o_1 and o_2 regions* Here, partial overlapping between o_1 and o_2 means region of o_1 and o_2 overlaps to each other. In addition, we can say that $o_1.str$ partially overlaps by $o_2.str$. There can be either overlapping along the left border of o_1 with o_2 or overlapping along the right border of o_1 with o_2 . In this case, lines 2–3 of algorithm swapDD execute for the right overlapping of $o_1.str$ with $o_2.str$, and lines 6–13 of algorithm swapDD execute for the left overlapping of $o_1.str$ with $o_2.str$ and it totally fails. As per the details of this algorithm given in (Shao et al. 2009), it has not discussed partial overlapping between two deletion operations o_1 and o_2 but in algorithm not put required conditions to avoid partial overlapping of o_1 and o_2 . Therefore, either it has not considered the partial overlapping of o_1 and o_2 in swapDD just by assumption or it totally fails in this case.

Case 3: *If $o_1.str$ completely overlaps by $o_2.str$* In this case, swapDD lines 6–13 get executed, and it gives total wrong output in all cases. Ideally as per algorithm swapDD theory specified in (Shao et al. 2009), it should divide $o_2.str$ into three parts, among which the middle overlapping part is to be deleted by o_1 . However, it fails in splitting $o_2.str$ in the remaining left and right parts which are to be deleted by two suboperations o_{2L} and o_{2R} , respectively.

Case 4: *If $o_2.str$ completely overlaps by $o_1.str$* This case is not discussed in theory of swapDD given in (Shao et al. 2009), but if we have this case, lines 2–3 of swapDD get executed and give total faulty result.

Therefore, it is concluded that swapDD fails totally in swapping two deletions if there exist partial or total overlapping of $o_1.str$ by $o_2.str$. In addition, in a few cases, it fails totally at boundary conditions.

C. Algorithm MGswapDD

MGswapDD(o_1, o_2)

```
{
Step1:  $o_1' \leftarrow o_1$ ;
       $o_1'.pos = o_1.pos$ ;
       $o_1'.str = o_1.str$ ;
Step2:  $o_2' \leftarrow o_2$ ;
       $o_2'.pos = o_2.pos$ ;
       $o_2'.str = o_2.str$ ;
Step3: if( $o_2.pos > (o_1.pos + |o_1.str|)$ )
      {
Step4:  $o_2'.pos = o_2.pos + |o_1.str|$ ;
      }
Step5: else if ( $(o_2.pos + |o_2.str|) < o_1.pos$ )
      {
Step6:  $o_1'.pos = o_1'.pos - |o_2.str|$ ;
      }
Step7: elseif( $o_2.pos > o_1.pos \&\& o_2.pos \leq (o_1.pos + |o_1.str|) \&\& (o_2.pos + |o_2.str|) > (o_1.pos + |o_1.str|)$ )
      {
Step8:  $o_2'.pos = o_2.pos + ((o_1.pos + |o_1.str|) - o_2.pos)$ ;
Step9:  $o_2'.str = o_2.Substring((o_1.pos + |o_1.str|) - o_2.pos)$ ;
      }
Step10: elseif( $o_2.pos < o_1.pos \&\& (o_2.pos + |o_2.str|) \geq o_1.pos \&\& o_1.pos + |o_1.str| > (o_2.pos + |o_2.str|)$ )
      )
      {
Step11:  $o_2'.str = o_2.Substring(0, (o_1.pos - o_2.pos))$ ;
Step12:  $o_1'.pos = o_1.pos - |o_2'.str|$ ;
      }
Step13: else
      {
Step14: if( $((o_1.pos + |o_1.str|) \geq (o_2.pos + |o_2.str|)) \&\& (o_1.pos \leq o_2.pos)$ )
      {
Step15:  $o_2' \leftarrow null$ ;
      }
Step16: else {
Step17:  $o_{2Lpart}.str \leftarrow o_2$ ;  $o_{2Lpart}.str = o_2$ ;
Step18:  $o_{2Lpart}.pos = o_2.pos$ ;
Step19:  $o_{2Rpart}.str \leftarrow o_2$ ;  $o_{2Rpart}.str = o_2$ ;
Step20:  $o_{2Rpart}.pos = o_2.pos$ ;
Step21:  $o_{2Lpart}.str = o_2.Substring(0, o_1.pos - o_2.pos)$ ;
Step22:  $o_{2Rpart}.pos = o_1.pos + |o_1.str|$ ;
Step23:  $o_{2Rpart}.str = o_2.Substring(o_1.pos - o_2.pos + |o_1.str|)$ ;
Step24:  $o_2'.sol \leftarrow [o_{2Lpart}, o_{2Rpart}]$ ;
Step25:  $o_1'.pos = o_2.pos$ ;
      }
endif
} endif }
```

Algorithm MGswapDD

The new proposed algorithm MGswapDD has removed all faults of the existing algorithm swapDD and is working well in all possible cases of swapping two deletions. It works well at all boundary conditions. It has also considered the partial overlapping of operations $o1.str$ and $o2.str$. Also if $o1.str$ completely overlaps by $o2.str$ or $o2.str$ completely overlaps by $o1.str$, then also it works well totally. Thus, it considers well overlapping and splitting of operations. The MGswapDD is practically implemented in lab and works well on partial or total overlapping of operations. In addition, it works well on not overlapping operations and boundary conditions.

Algorithm MGswapDD is for swapping and transposing two deletions. The process of MGswapDD is explained in the following points. Here, if we have $o \leftarrow null$ means, o is initialized to null and will not perform any operation:

1. *From Line 3* if $(o2.pos > (o1.pos + |o1.str|))$, means if $o2$ lies completely on the right side of $o1$ then, if we execute $o2$ before $o1$ instead, then $o2.pos$ should consider $o1.str$, because it has not been deleted yet. Therefore, $o2$ position shifted right by length of $o1.str$.
2. *From Line 5* if $((o2.pos + |o2.str|) < o1.pos)$, means $o2.str$ is completely on the left side of $o1.pos$. Hence, if $o2$ get executed before $o1$ instead, $o1.pos$ should be shifted to the left, because $o2.str$ has already been deleted. Therefore, $o1$ shift left equal to length of $o2.str$.
3. *From Line 7* if $(o2.pos > o1.pos \&\& o2.pos \leq (o1.pos + |o1.str|) \&\& (o2.pos + |o2.str|) > (o1.pos + |o1.str|))$, means $o1.str$ overlaps partially with $o2.str$ along its right boundary, then $o1.str$ and $o1$ position will remain unchanged and $o2'$ position will shift right by the length of overlapping region of $o1.str$ and $o2.str$. In addition, $o2'.str$ will be set to not overlapping part of $o2$ string. Here, the overlapped region gets deleted by $o1'$, and $o2'$ deletes the remaining not overlapping region of $o2.str$.
4. *From Line 10* if $(o2.pos < o1.pos \&\& (o2.pos + |o2.str|) \geq o1.pos \&\& o1.pos + |o1.str| > (o2.pos + |o2.str|))$, means $o1.str$ overlaps partially with $o2.str$ along its left boundary then the overlapped region gets deleted by $o1$, and $o2$ deletes the remaining not overlapping region. Here, $o2'$ string will reduced to not overlapping part of $o2$ string by deducting the overlapped region from the existing $o2$ string. In addition, $o1'$ position is shifted right by length of $o2'$ string, since $o2'$ is already deleted since after swapping, we have $o2' \rightarrow o1'$.
5. *From lines 13–25* get executed if none of the above conditions are true. Line 14 check if $o2.str$ completely covered by string $o1.str$. If $o1$ and $o2$ delete the same substring of given string sequence 's' which lie at the same position, then also condition at line 14 is true. In this case, $o2$ initialized to null, and $o1$ deletes the $o1.str$ from $o1$ position. Lines 16–25 are executed if $o1.str$ is completely covered by $o2.str$. Then, if $o2$ get executed before $o1$ instead, $o2.str$ is divided into three parts, among which the middle overlapping part is to be deleted by $o1$. The remaining left and right parts are deleted by two suboperations $o2L$ and $o2R$ of $o2'$, respectively. At last, $o1'.pos$ should be set to $o2.pos$ due to the deletion of $o2L.str$. Therefore, if $o1$ is totally overlapped by $o2$ string, then the overlapping region gets deleted by $o1$, and $o2$ deletes its remaining regions left and right called $o2Lpart$ and $o2Rpart$, respectively, which are separated by $o1$ region.

Correctness proof

In multi-user environment, practically, we have implemented ABTS and MGswapDD in lab using Qualnet and ASP.Net software.

Algorithm swapDD

Case 1: *If $o_2.pos = o_1.pos$* In this case, swapDD fails at boundary condition means that if $o_2.pos = o_1.pos$, it fails totally (lines 2–3 of algorithm swapDD).

For example, let $s = \text{"TheGodHelpAllEqually."}$ Here, suppose $o_1 = \text{delete}(3, \text{"God-Help"})$ and $o_2 = \text{delete}(3, \text{"God"})$. Therefore, condition at line 2 *if* ($o_2.pos \geq o_1.pos$) is true, since $o_2.pos = o_1.pos$, so by line 3, we get $o_2'.pos = o_2.pos + |o_1.str|$ so we get $o_2'.pos = 3 + 7 = 10$. Here, in given string definition s , we apply $o_2' = \text{delete}(10, \text{"God"})$; the operation fails since at starting position '10' substring "God" not found (see Fig. 2). Therefore, swapDD fails totally.

If we implement new proposed MGswapDD for the same inputs like case 1, we get $o_1' = o_1$ and $o_2' = \text{null}$, so get right input because if o_1' get executed, then no need to execute o_2' because o_2 string get deleted by o_1' since o_2 string is overlapped by o_1 string (see Fig. 3).

Case 2: *If there exist partial overlapping between deletion operations o_1 and o_2 regions* Here, partial overlapping between o_1 and o_2 means region of o_1 and o_2 overlaps to each other.

For example, let $s = \text{"TheBirdsAreFlyingInTheSky"}$

Let $o_1.str = \text{"BirdsAreFlying"}$ and $o_1.pos = 3, |o_1.str| = 14$

$o_2.str = \text{"FlyingInTheSky"}$ and $o_2.pos = 11$.

Here, o_1 overlaps with o_2 along its right boundary. And if we execute swapDD; condition at line 2 is correct that is ($o_2.pos \geq o_1.pos$), since $11 > 3$, so enter in if block

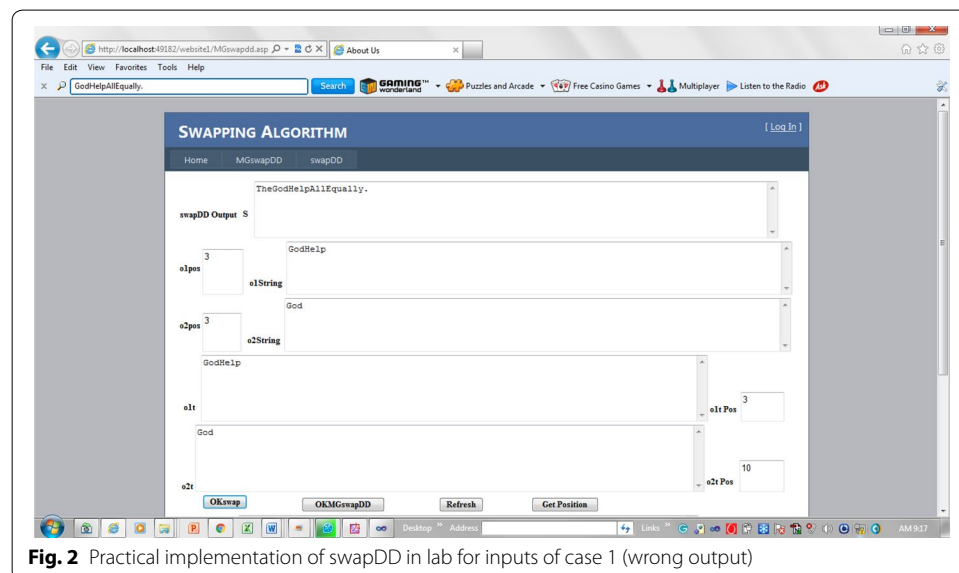


Fig. 2 Practical implementation of swapDD in lab for inputs of case 1 (wrong output)

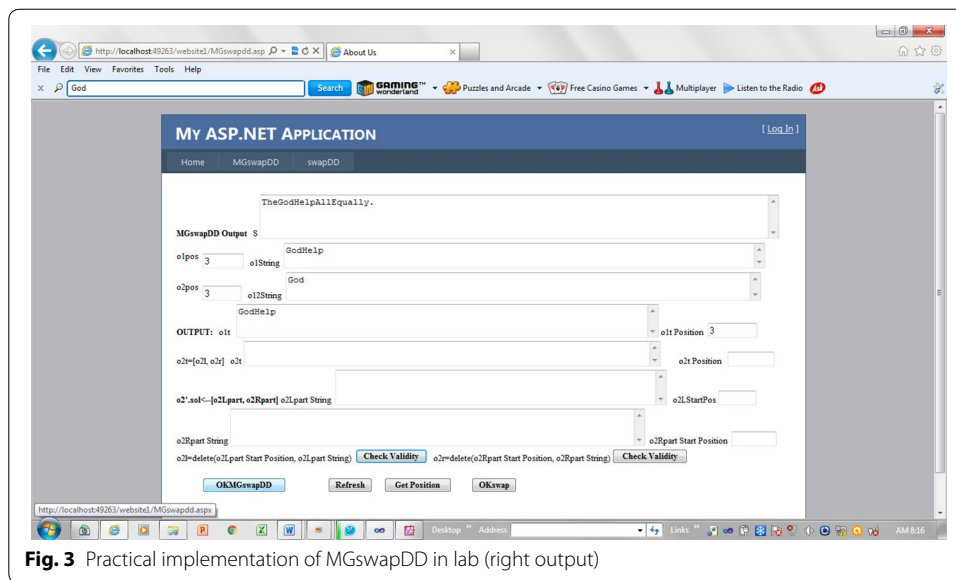


Fig. 3 Practical implementation of MGswapDD in lab (right output)

and execute the code at line 3 that are $o_2'.pos = o_2.pos + |o_1.str|$, so here, we get $o_2'.pos = 11 + 14 = 25$, so we get $o_2' = \text{delete}(25, \text{"FlyingInTheSky"})$. The operation o_2' fails since at starting position '25' substring "FlyingInTheSky" not found. Even position '25' not exist in given 's'. Thus, swapDD fails totally (see Fig. 4).

When we implement MGswapDD in lab practically for inputs of case 2, we get $o_1' = o_1$. $o_2'.pos = 17$ and $o_2'.str = \text{"InTheSky"}$ which give right output, because there exist no overlapping in o_1' and o_2' and both lie at given position in string 's' (see Fig. 5).

Case 3: If $o_1.str$ completely overlaps by $o_2.str$ In this case, swapDD lines 6–13 get executed and it gives total wrong output in all cases.

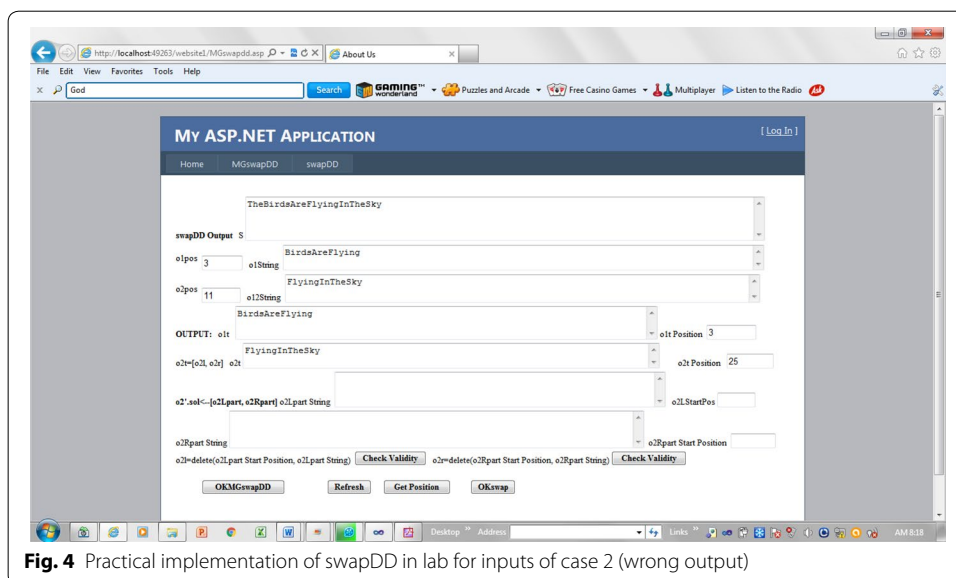


Fig. 4 Practical implementation of swapDD in lab for inputs of case 2 (wrong output)

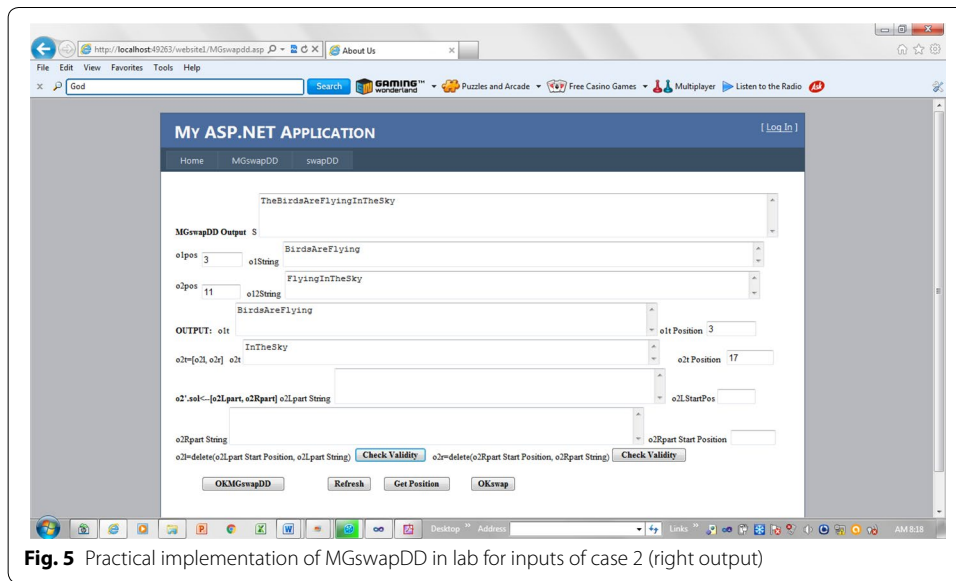


Fig. 5 Practical implementation of MGswapDD in lab for inputs of case 2 (right output)

For example, $s = \text{"WorkNotOnlyHardButGoodAlso"}$.

Let $o_1 = \text{delete}(7, \text{"Only"})$; $o_2 = \text{delete}(4, \text{"NotOnlyHard"})$

Here, on executing swapDD lines 6–13, it will get executed, and we get from line 7: $o_{2L} \leftarrow o_2$ and $o_{2R} \leftarrow o_2$. From line 8: $o_{2L}.str \leftarrow o_2.str [0:o_1.pos - o_2.pos]$, so we get $o_{2L}.str \leftarrow o_2.str [0:7-4] = \text{"Not"}$;

Also from line 9, we get $o_{2R}.pos \leftarrow o_1.pos + |o_1.str|$; so we get $o_{2R}.pos \leftarrow 7 + 4 = 11$. And from Line 10 we get $o_{2R}.str \leftarrow o_2.str [o_1.pos - o_2.pos:]$; so we get $o_{2R}.str \leftarrow o_2.str [7 - 4:]$; so we get $o_{2R}.str \leftarrow \text{"OnlyHard"}$. Therefore, we get $o_{2R} = \text{delete}(11, \text{"OnlyHard"})$ but in given 's' at position 11 "OnlyHard" not exist so $o_2'.sol \leftarrow [o_{2L}, o_{2R}]$ also fails totally (see Fig. 6).

When we practically implemented MGswapDD in lab for inputs of case 3, we get $o_1'.str = o_1.str$ and $o_1'.pos = 4$. We get $o_{2L}.str = \text{"Not"}$ and $o_{2L}.pos = 4$, $o_{2R}.str = \text{"Hard"}$,

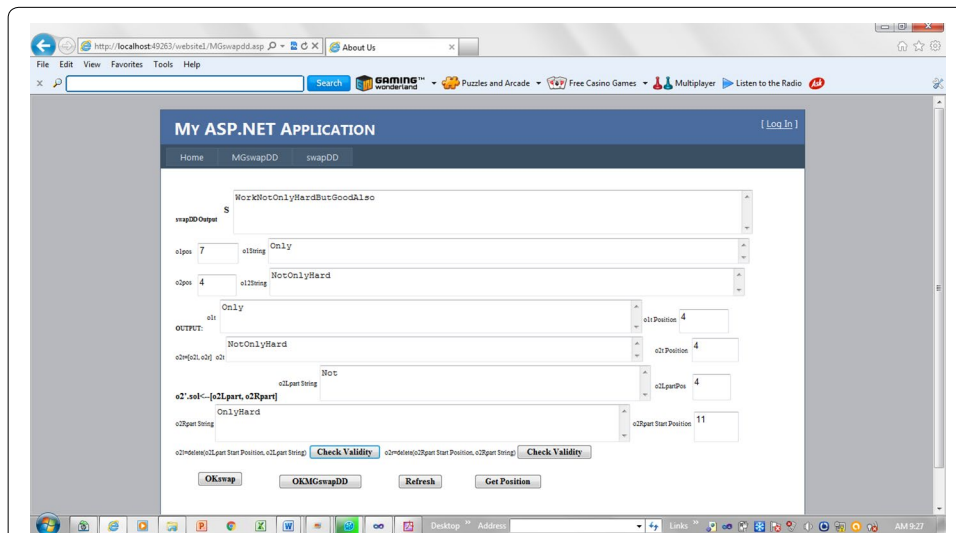


Fig. 6 Practical implementation of swapDD in lab for inputs of case 3 (wrong output)

$o2R'.pos = 11$ which give desired output, because $o1$ overlapped completely by $o2$ and overlapped region of $o2$ get deleted by $o1'$ so $o2'$ split in $o2L'$ and $o2R'$ to get desired output (see Fig. 7).

Case 4: *If $o2.str$ completely overlaps by $o1.str$* If $o2.str$ completely overlaps by $o1.str$, then in this case, swapDD lines 2–3 get executed and it gives total wrong output in all cases.

For example:

Let $s = \text{"GodHelpThoseWhoHelpThemselves"}$

$o_2 = \text{delete}(12, \text{"Who"})$;

$o_1 = \text{delete}(3, \text{"HelpThoseWhoHelp"})$;

Here on executing swapDD lines 2–3 will get executed and we get wrong output.

$o1' = \text{"HelpThoseWhoHelp"}$ $o1'$ position = 3 $o2' = \text{"Who"}$ $o2'$ position = 28

Algorithm swapDD failed. Thus, $o_2'.sol \leftarrow [o_{2L}, o_{2R}]$ fails totally (see Fig. 8).

When we practical implement MGswapDD in lab for inputs of case 4, we get $o1'$. $pos = \text{"HelpThoseWhoHelp"}$ and $o1'.pos = 3$. Also $o2' = \text{null}$, because $o2$ overlapped by $o1$ and $o1'$ delete the overlapped region so no need to execute $o2'$ (see Fig. 9).

Algorithm MGswapDD

Case 1: *If $o2.pos = o1.pos$* Here, in this case on executing MGswapDD lines 13–25, it will get executed and will give right result.

For example, let $s = \text{"TheBirdsAreFlyingInTheSky"}$

$o_1 = \text{delete}(3, \text{"BirdsAreFlying"})$; $o_2 = \text{delete}(3, \text{"Birds"})$

Condition at line 14 is correct so switch to line 15. Condition if $((o_1.pos + |o_1.str|) \geq (o_2.pos + |o_2.str|)) \&\& (o_1.pos \leq o_2.pos)$. Here, we get if $((3 + 14) \geq (3 + 5) \&\& 3 \leq 3)$ returns true so code at line 15 that is $o_2' \leftarrow \text{null}$ get executed means o_2' will not execute any

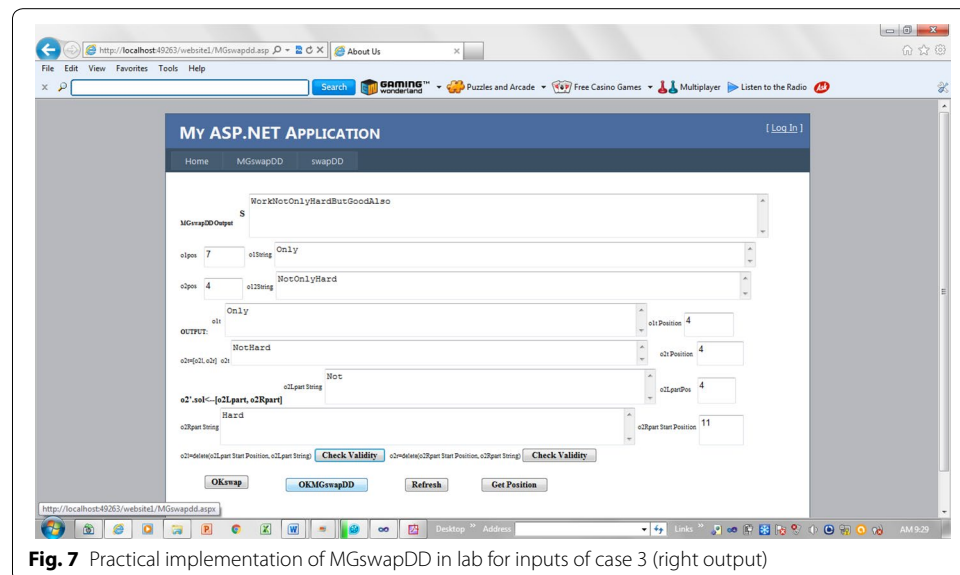


Fig. 7 Practical implementation of MGswapDD in lab for inputs of case 3 (right output)

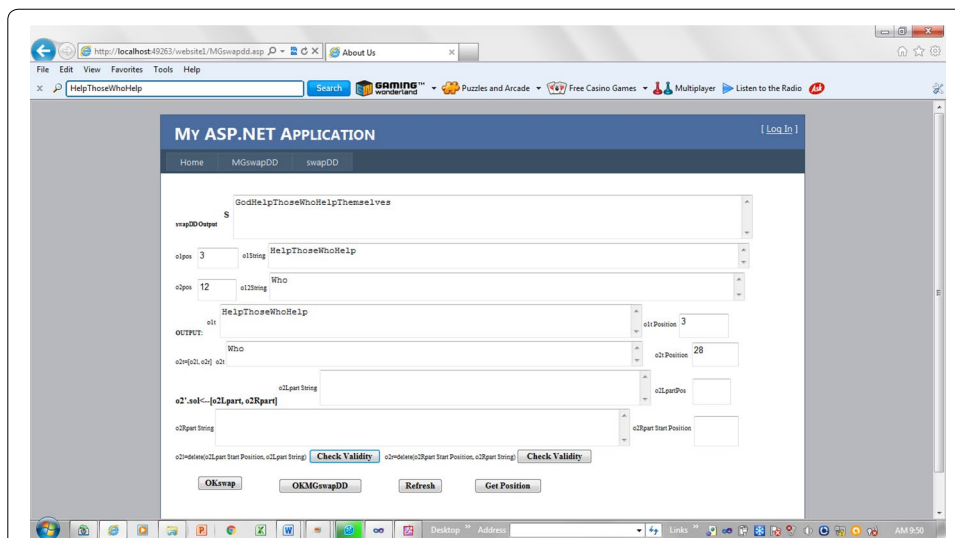


Fig. 8 Practical implementation of swapDD in lab for inputs of case 4 (wrong output)

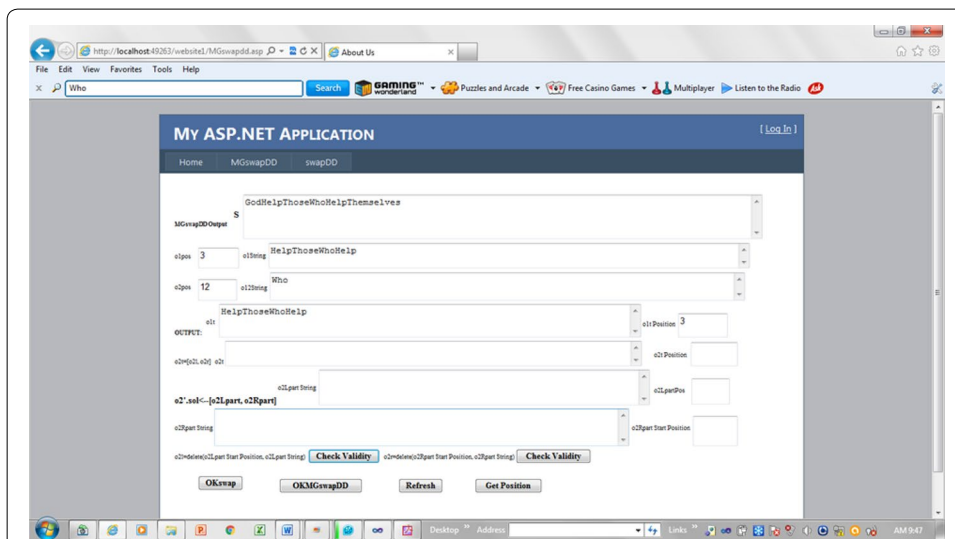


Fig. 9 Practical implementation of MGswapDD in lab for inputs of case 4 (right output)

operation both its string and position are null. And $o_1' \leftarrow o_1$ from line 1, so we get desired output “TheInTheSky” after execution of o_1' and o_2' where o_2' is null. It satisfies user intentions also (see Fig. 10).

Case 2: If there exist partial overlapping between deletion operations o_1 and o_2 regions. Here, two cases are possible either $o_1.str$ overlaps with $o_2.str$ along its right border or left border.

First, we consider the case when $o_1.str$ overlaps with $o_2.str$ along its rightboundary. For example, let $s = \text{“GodPleaseHelpMeToTakeCareMyChild”}$.

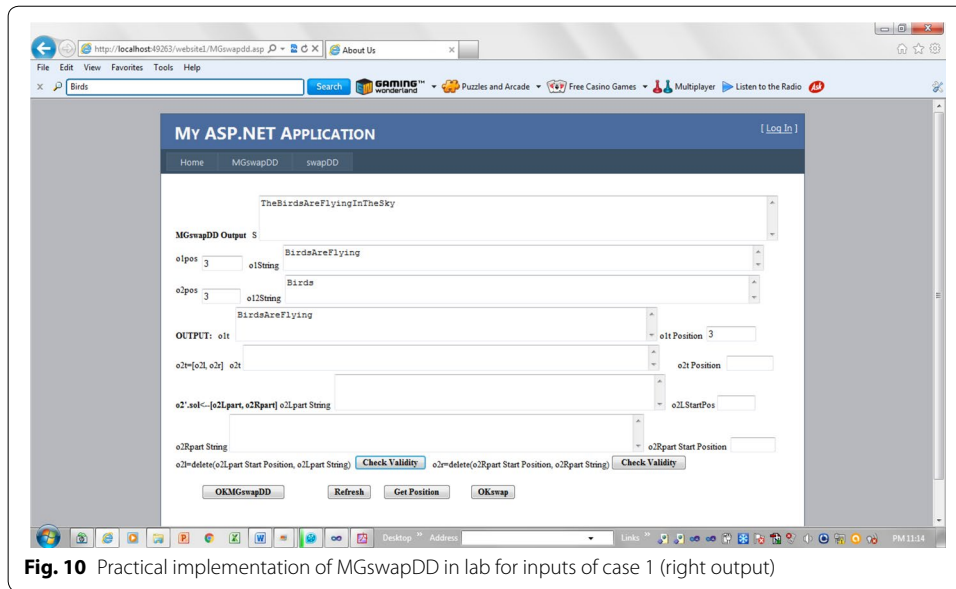


Fig. 10 Practical implementation of MGswapDD in lab for inputs of case 1 (right output)

$o_1 = (3, \text{"PleaseHelpMe"})$; $|o_1.str| = 12$ and $|o_2.str| = 12$; $o_2 = \text{delete}(13, \text{"MeToTakeCare"})$; $o_1.pos = 3$ and $o_2.pos = 13$.

Since on executing MGswapDD condition at line 7 is true that is if $(o_2.pos > o_1.pos \&\& o_2.pos \leq (o_1.pos + |o_1.str|) \&\& (o_2.pos + |o_2.str|) > (o_1.pos + |o_1.str|))$ returns true, so lines 8 and 9 will get executed.

Step 8: $o_2'.pos = o_2.pos + ((o_1.pos + |o_1.str|) - o_2.pos)$;

Step 9: $o_2'.str = o_2.Substring((o_1.pos + |o_1.str|) - o_2.pos)$;

From step 8, $o_2'.pos = 13 + (3 + 12) - 13$; $o_2' = 15$;

Step 9: $o_2'.str = o_2.Substring(3 + 12 - 13) = o_2.Substring(2)$, so $o_2'.str = \text{"ToTakeCare"}$. We get $o_2' = \text{delete}(15, \text{"ToTakeCare"})$ and it runs well since at position 15 "ToTakeCare" exist in given 's'. Therefore, the overlapped substring "Me" get deleted by o_1' and o_2' has deleted just unoverlapped part of o_2 . Here, $o_1' \leftarrow o_1$ from line 1. So again, we get totally right output satisfying user intentions (see Fig. 11).

Second, we consider the case when $o_1.str$ overlaps with $o_2.str$ along its left boundary.

For example, let $s = \text{"GodPleaseHelpMeToTakeCareMyChild"}$.

$o_2 = (3, \text{"PleaseHelpMe"})$; $|o_2.str| = 12$ and $|o_1.str| = 12$; $o_1 = \text{delete}(13, \text{"MeToTakeCare"})$; $o_2.pos = 3$ and $o_1.pos = 13$. Since on executing MGswapDD condition at line 10 is true that is so the given code will get executed. Therefore, condition at line 10 is as follows: if $(o_2.pos < o_1.pos \&\& (o_2.pos + |o_2.str|) \geq o_1.pos \&\& o_1.pos + |o_1.str| > (o_2.pos + |o_2.str|))$ returns true so from Step 11: $o_2'.str = o_2.Substring(0, (o_1.pos - o_2.pos))$; so we get $o_2'.str = o_2.Substring(0, (13 - 3)) = \text{"PleaseHelp"}$; here $|o_2'.str| = 10$; and from step Step 12: $o_1'.pos = o_1.pos - |o_2'.str|$; we get $o_1'.pos = 13 - 10 = 3$. Since after deletion by o_2' the o_1' . pos should left by the length of $o_2'.str$ as o_2' lies left of o_1' and is already deleted. Here, we get finally $o_1' = \text{delete}(3, \text{"PleaseHelpMe"})$ and $o_2' = \text{delete}(15, \text{"ToTakeCare"})$ and $o_2' \rightarrow o_1'$ work well after swapping of $o_1 \rightarrow o_2$.

In this case, also we get right output.

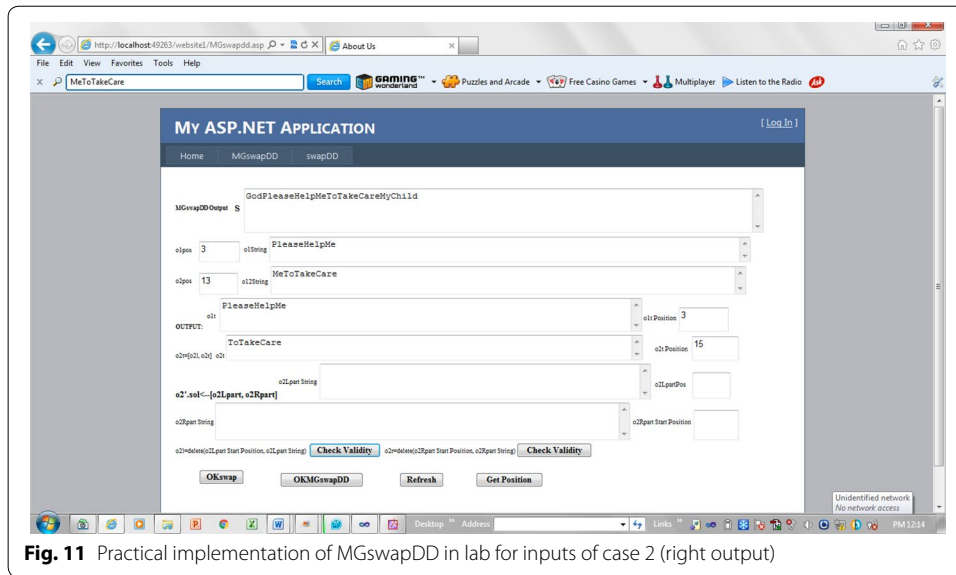


Fig. 11 Practical implementation of MGswapDD in lab for inputs of case 2 (right output)

Case 3: If $o_1.str$ completely overlaps by $o_2.str$ In this case, all the above conditions before line 13 are false so enter in else block at line 13. Here, condition at Step 14: if $((o_1.pos + |o_1.str|) \geq (o_2.pos + |o_2.str|)) \&\& (o_1.pos \leq o_2.pos)$ is false so enter in its else part. So lines 16 to 25 get executed.

For example, let $s = \text{"The Sun give us Heat and Light"}; o_1 = \text{delete}(13, \text{"us"})$ and $o_2 = \text{delete}(4, \text{"Sun give us Heat"})$. From Step 17: $o_{2Lpart} \leftarrow o_2; o_{2Lpart}.str = o_2.str$; here, we have $o_{2Lpart}.str = \text{"Sun give us Heat"}$. From Step 18: $o_{2Lpart}.pos = o_2.pos$; Here we have $o_{2Lpart}.pos = 4$. From Step 19: $o_{2Rpart} \leftarrow o_2; o_{2Rpart}.str = o_2.str$; here, we have $o_{2Rpart}.str = \text{"Sun give us Heat"}$. From Step 20: $o_{2Rpart}.pos = o_2.pos$; here, we have $o_{2Rpart}.pos = 4$.

From Step 21: $o_{2Lpart}.str = o_2.Substring(0, o_1.pos - o_2.pos)$; here, we have $o_{2Lpart}.str = o_2.Substring(0, 13 - 4) = o_2.Substring(0, 9) = \text{"Sun give"}$. From Step 22: $o_{2Rpart}.pos = o_1.pos + |o_1.str|$; here, we have $o_{2Rpart}.pos = 13 + 2 = 15$. From Step 23: $o_{2Rpart}.str = o_2.Substring(o_1.pos - o_2.pos + |o_1.str|)$; here, we have $o_{2Rpart}.str = o_2.Substring(13 - 4 + 2) = o_2.Substring(11) = \text{"Heat"}$. From Step 24: $o_2'.sol \leftarrow [o_{2Lpart}, o_{2Rpart}]$; so the left part "Sun give" get deleted by operation o_{2Lpart} ; right part "Heat" get deleted by o_{2Rpart} and the middle overlapping region "us" get deleted by o_1 and by Step 25: $o_1'.pos = o_2.pos$; so we get $o_1'.pos = 4$ since at first o_2' get executed and since o_{2Lpart} is already executed the position of o_1' shift left to $o_2.pos$. So $o_2' \rightarrow o_1'$ works correctly here (see Fig. 12).

Case 4: If $o_2.str$ completely overlaps by $o_1.str$ In this case, all the above conditions before line 13 are false so enter in else block at line 13. Here, condition at Step 14: if $((o_1.pos + |o_1.str|) \geq (o_2.pos + |o_2.str|)) \&\& (o_1.pos \leq o_2.pos)$ is true so enter in its if part. So step 15 will get executed.

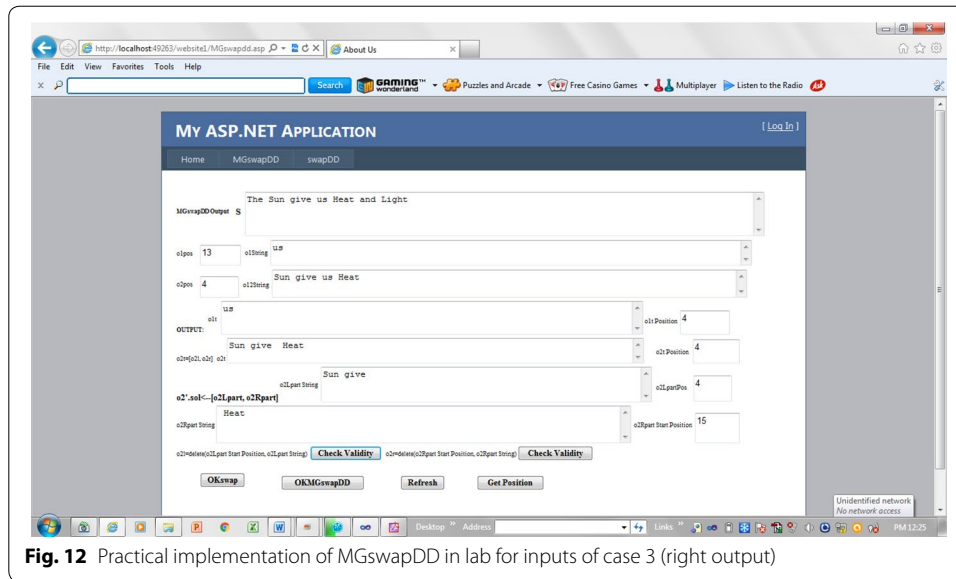


Fig. 12 Practical implementation of MGswapDD in lab for inputs of case 3 (right output)

For example, let $s = \text{"The God will help me always everywhere"}$. $o_1 = \text{delete (4, "God will help me")}$ and $o_2 = \text{delete (8, "will")}$. Here, condition at Step 14: $\text{if}(((o_1.\text{pos} + |o_1.\text{str}|) \geq (o_2.\text{pos} + |o_2.\text{str}|)) \& \& (o_1.\text{pos} \leq o_2.\text{pos}))$ that is $\text{if}((4 + 15) \geq (8 + 4) \& \& 4 \leq 8)$ is true so condition at line 15 get executed where o_2' is set to null means will not perform any operation and o_1 will remain as it is. If o_1 will execute the region of o_2 which is covered by o_1 will automatically deleted giving right output. Here, $o_2' \rightarrow o_1'$ is equal to execution of o_1' only, since o_2' is null and also $o_1' \leftarrow o_1$ from line 1 (see Fig. 13).

Conclusion

Operational transformation is the most optimistic method for concurrency and consistency control in multi-user groupware systems.

ABTS is the best string handling OT algorithm. The swapDD function of ABTS is proposed to swap two deletions, but swapDD fails totally if there exist partial overlapping between two deletions. In addition, it fails if one deletion operation string is totally covered by other deletion operation string. In few other cases, also swapDD fails at boundary conditions.

We propose a new algorithm MGswapDD to swap two deletions. It is also based on ABT framework and support string handling. It considers and works well in splitting and overlapping of operations. It works well on all boundary conditions also. It is practically implemented in lab also covering all possible cases of swapping two deletions. It gives totally right result if either there exist partial overlapping between two deletions or if one deletion operation string is totally covered by other deletion operation string. Therefore, in brief, it has removed all faults of the existing swapDD and work well in all possible cases of swapping two deletions.

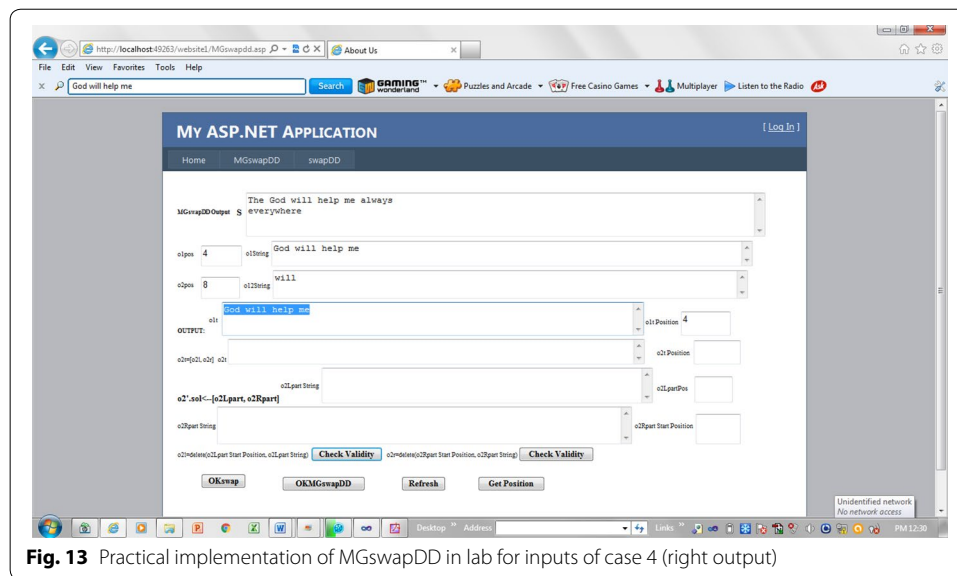


Fig. 13 Practical implementation of MGswapDD in lab for inputs of case 4 (right output)

Future work

Still there is scope to extend the support to other composite operations of string handling and char handling. Also there is need to support better data structures. A lot of work is done to reduce time complexity and space complexity. Still there is a scope to reduce time complexity and space complexity.

Authors' contributions

SK made substantial contributions to conception and design, acquisition of data, and analysis and interpretation of data; has been involved in drafting the manuscript or revising it critically for important intellectual content; has given final approval of the version to be published, and agrees to be accountable for all aspects of the work in ensuring that questions related to the accuracy or integrity of any part of the work are appropriately investigated and resolved. AK provided full guidance and support in all of the above works. Both authors read and approved the final manuscript.

Author details

¹ School of Engineering and Technology, Poonima University, IS-2027 To 2031 Ramchandrapura P.O. Vidhani Vatika Sita-pura Extension, Jaipur, Rajasthan 303905, India. ² Poonima College of Engineering, Jaipur, Rajasthan, India.

Acknowledgements

The paper is dedicated to my mother Meera Devi and daughter Harshita Kumawat.

Competing interests

The authors declare that they have no competing interests.

Received: 4 January 2016 Accepted: 13 May 2016

Published online: 10 June 2016

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